Seminário de Álgebra

COHOMOLOGY OF CROSSED MODULES.

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05/04/2024
14:30 Horas
Auditório do MAT

Abstract.

Crossed modules were introduced by Whitehead [7]. They are algebraic models of 2-homotopy types [1]. There are two different approch to (co)homology of crossed modules. The first one is via the classifying spaces id crossed modules [1], [3], [5]. The secound one is purely algebraic and is based on cotriple cohomology [2]. These approaches are not equivalent but are connected via an exact sequence constructed in [6]. In [4] Pirashvili gave "cocycle"description of low dimensional cotriple co-homology with arbitrary coefficients. I am going to talk on the results obtained in [4].

References

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