



## DYNAMICS AND LIE THEORY SEMINAR

# Hyperbolic Translations in $K$

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**Abstract.** Given a connected real semi-simple Lie group  $G$  it is possible to “decompose” its elements  $g$ , in elliptic  $e$ , hyperbolic  $h$  and unipotent  $u$  components,  $g = eh u$ . These components commute and permit the study of actions of the group  $G$  in a manifold by studying the action of each of these components. In this talk, we study the hyperbolic action  $h^t$ ,  $t \in \mathbb{R}$  in the homogeneous manifold  $G/AN$ , where  $A$  and  $N$  come from a fixed Iwasawa decomposition,  $G = KAN$ . Informally we can think of this homogeneous manifold as the compact subgroup  $K$ . We first show the fixed points of this action. All points in  $K$  converges to one of these fixed points, and all orbits in  $K$  can be neatly described. We show concrete examples in  $Sl(2)$  and  $Sl(3)$ .

## References

- [1] M. Patrão; T. Ferraiol; L. Seco. (2010). Jordan decomposition and dynamics on flag manifolds. *Discrete and Continuous Dynamical Systems*, v. 26, p. 923-947.